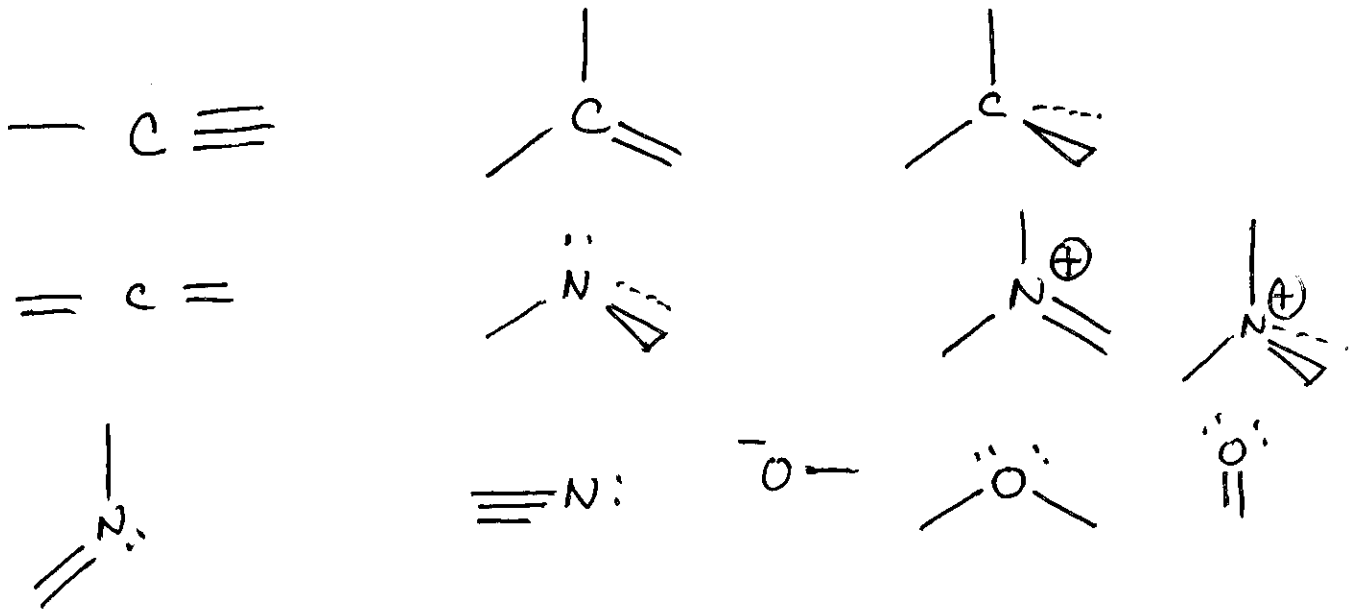


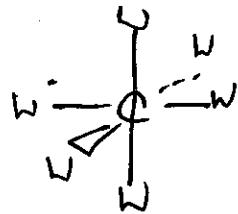
Revised 40 localized bonding & extended solids

I think I went through the material ~~too~~ too fast on <sup>Monday</sup> Wednesday. I would like to go over the points I did label in ~~that~~ those classes.

① In organic chemistry C, N, O, & H all have just a limited number of environments



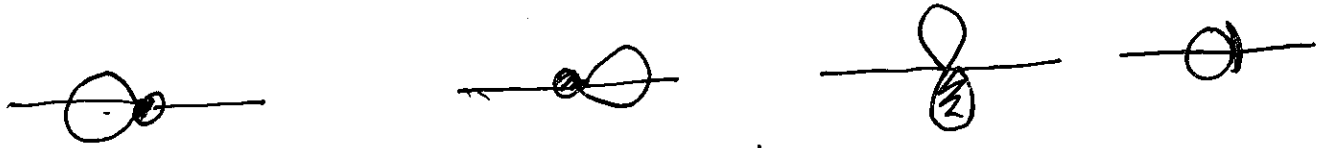
[By contrast C with most metal atoms often adopt 6 coordinate structures eg WC etc...]



② We adopt the schemes  $sp$ ,  $sp^2$  &  $sp^3$  to deal with the situations listed in ①. The point of these schemes is to place one orbital pointing along each  $\sigma$  bond.

③ For  $\text{---C}\equiv$  ,  $\text{=C=}$  or  $\equiv\text{N:}$

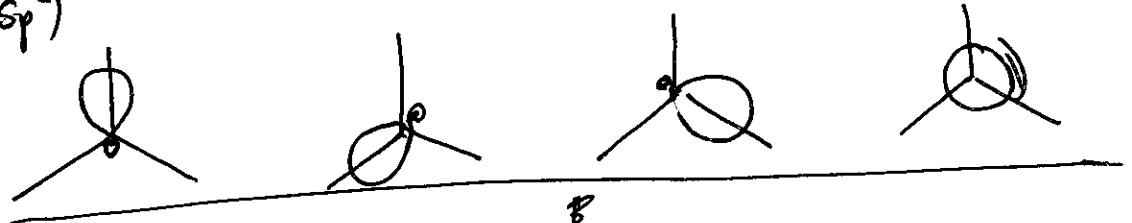
we can adopt the scheme ( $sp$ )



with one ~~bond~~ lobe pointed along each  $\sigma$ -bond.

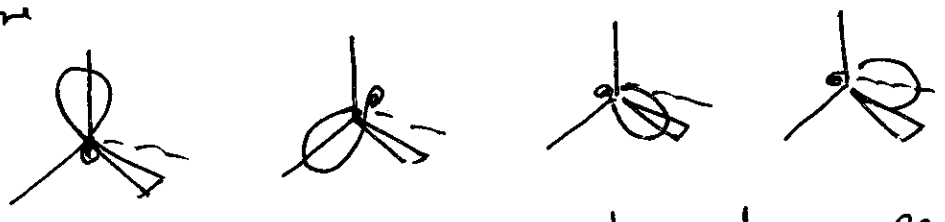
④ For  $\text{C=}$  or  $\text{=N:}$  we can adopt the

scheme ( $sp^2$ )



⑤ For  $\text{C}$  and  $\text{N}$  we can adopt the

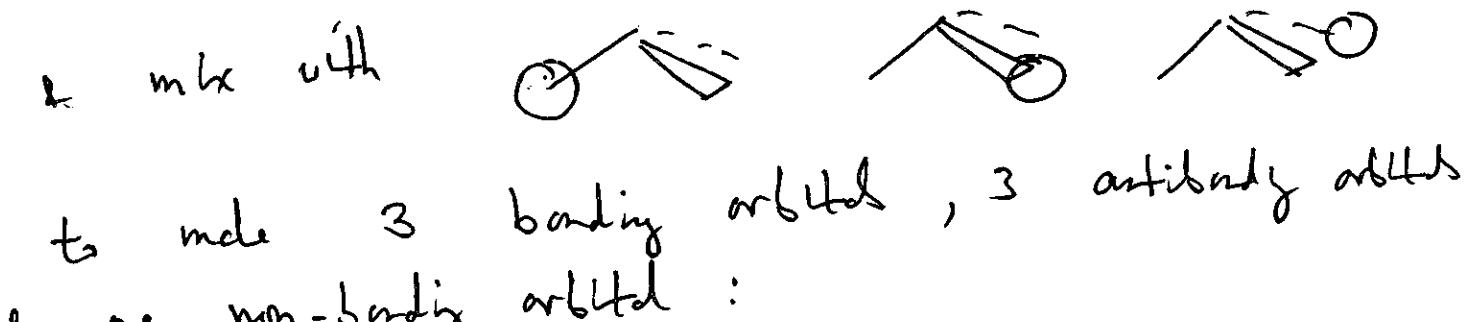
$sp^3$  scheme



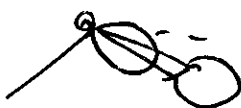
In all cases we point lobe along each of the bonds. [We deal with lone pairs later]

⑥ Let's use these simple schemes to make pictures of the orbitals in molecules & extended solids.

⑦ Let's consider ~~AsH<sub>3</sub>~~ AsH<sub>3</sub> & As solid



3 bonding orbitals



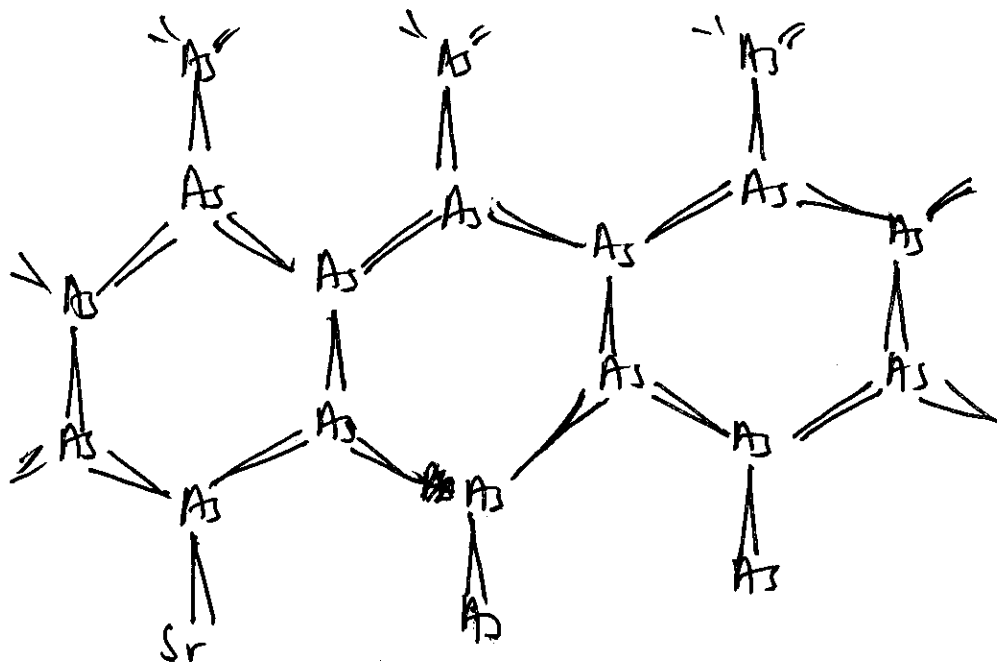
1 non bonding orbital



3 antibonding orbitals



⑨ or consider As solid

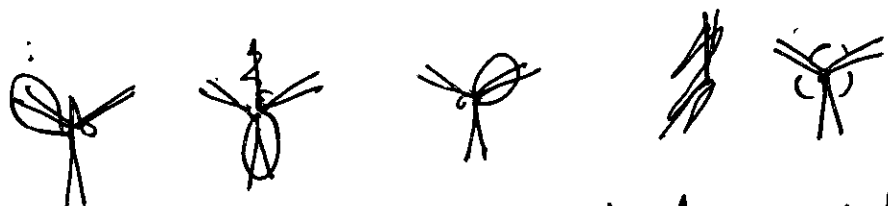
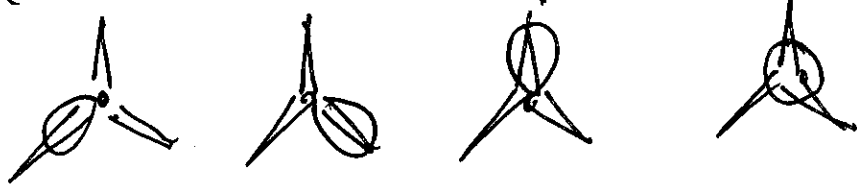


There are two types of As:

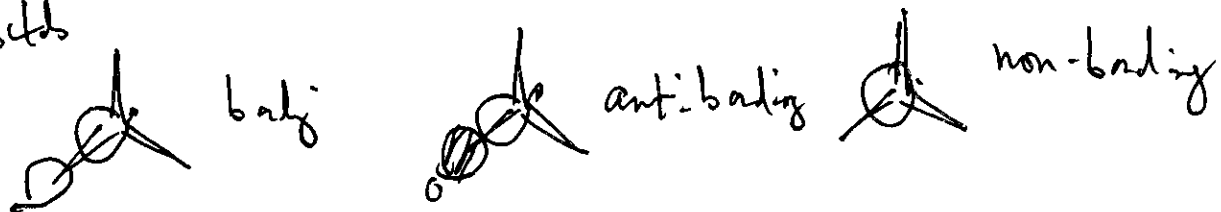


Both are modelled with

$sp^3$



These combine to make bonding orbitals, antibonding & non bonding orbitals



Let's say we start with  $10^{17}$  As atoms in a small piece of solid As (pretty much the smallest speck we can see)

There would be  $1.5 \times 10^{17}$   $\sigma$  bonds in the As piece.

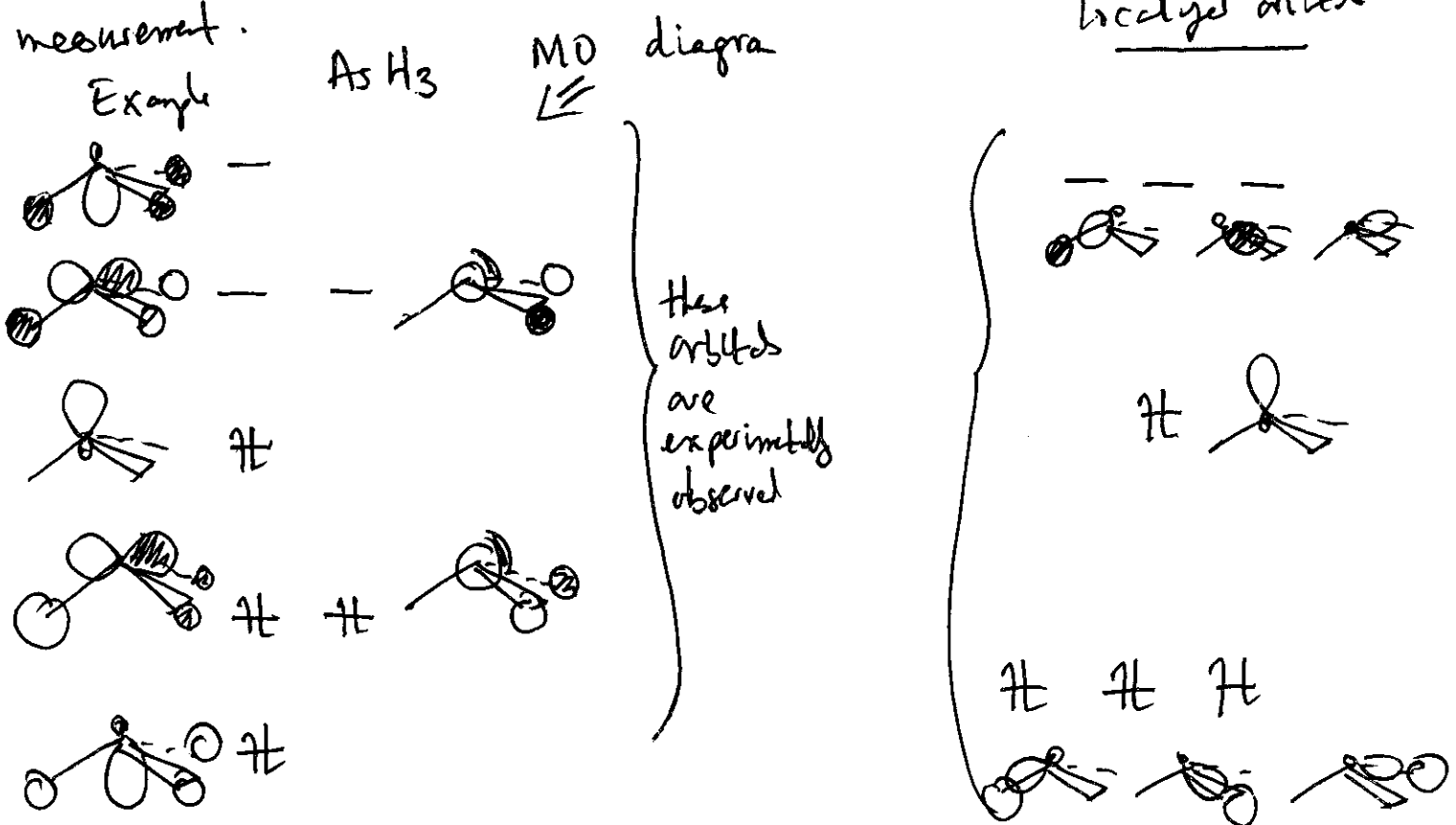
We would have  $1.5 \times 10^{17}$  bonding  $\sigma$  orbitals

$1.5 \times 10^{17}$  antibonding  $\sigma$  orbitals

+  $1.0 \times 10^{17}$  non-bonding orbitals.

As there are  $4 \times 10^{17}$  orbitals in the chunk of As this accounts for all the orbitals in the system.

⑩ BUT these localized orbitals are not MOs. They are not the orbitals which result from any measurement.



# NH<sub>3</sub> photoelectron spectra

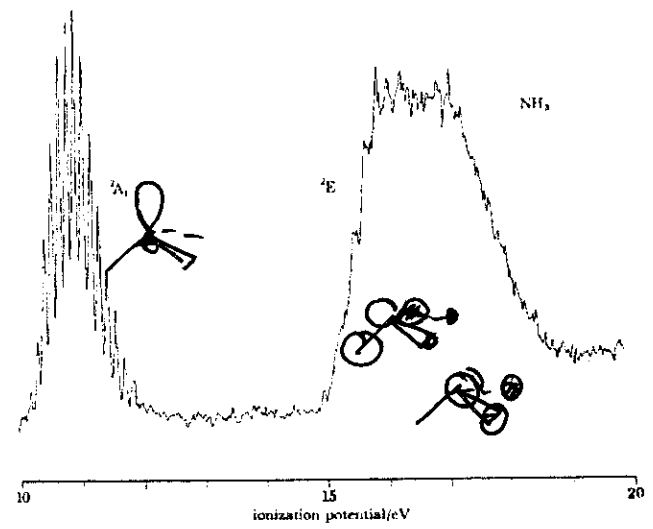
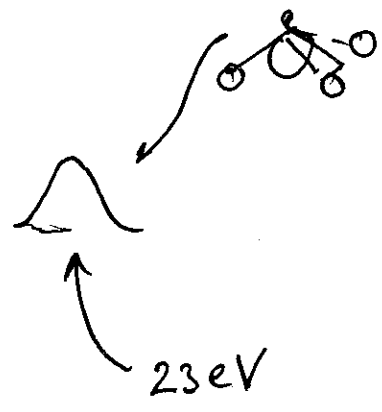






FIGURE 4. Photoelectron spectrum from ammonia obtained using the 584 Å helium resonance line.



23 eV  
 [from  
 Ellzey, M.L.  
 J. Mol Struct: THEO  
 CHEM  
 530 (2000) 11-20]

Brampton et al  
 Phil Trans R S (London)  
 1970 A 268, 77-85

Thus in NH<sub>3</sub> we observe 3 different energies for the filled orbitals: one for , one for  & 

& lastly one for 

This is what we expect: MO theory, but for the localized picture there are only 2 energies expected.

① So localized orbitals do not correspond to any measurable quantity. What are they good for?

⑫ Localized orbitals can account for the number of  $\sigma$ ,  $\sigma$ -nonbonding,  $\sigma$  antibonding orbitals. [They can account for the # of filled  $\pi$ -orbitals.]

eg) Note both the MO diagram & localized picture have 3 bonding  $\sigma$ -orbitals, 1 non-bonding & 3 antibonding  $\sigma$  orbitals.

⑬ Interestingly localized orbitals can not figure out the number of bonding, non-bonding & antibonding  $\pi$  orbitals.

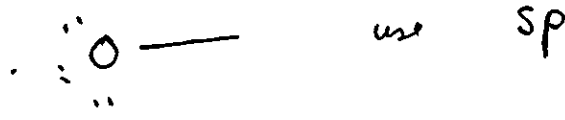
Example:



MO theory: 3 bonding MO's  
2 antibonding MO's

Localized/Lewis picture: 2 bonding MO's  
1 nonbonding MO's  
2 antibonding MO's

⑭ BUT For  $\pi$ -~~electron~~ orbitals, the localized picture [correctly used can be applied to get the correct number of  $\pi$  electrons.] We need to use the following scheme:

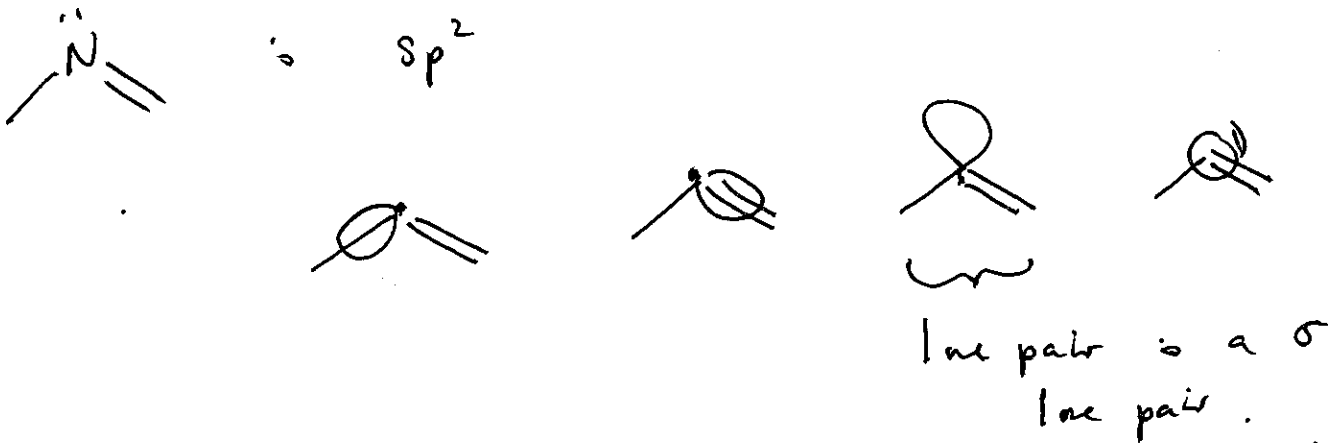
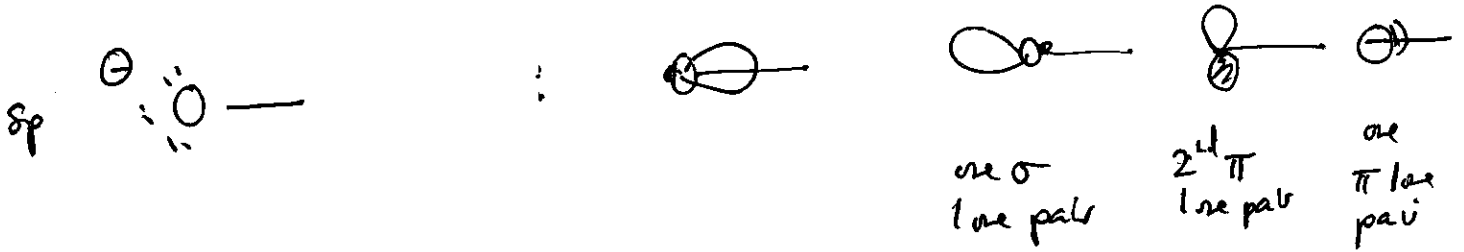


[Use scheme with smallest ( $sp^n$ ) n compatible with structure]

We assume all  $\sigma$  bonding & nonbonding orbitals are filled.

R 40.8

(15) Therefore



[Note all  $\sigma$  bonding & nonbonding orbitals are filled.]

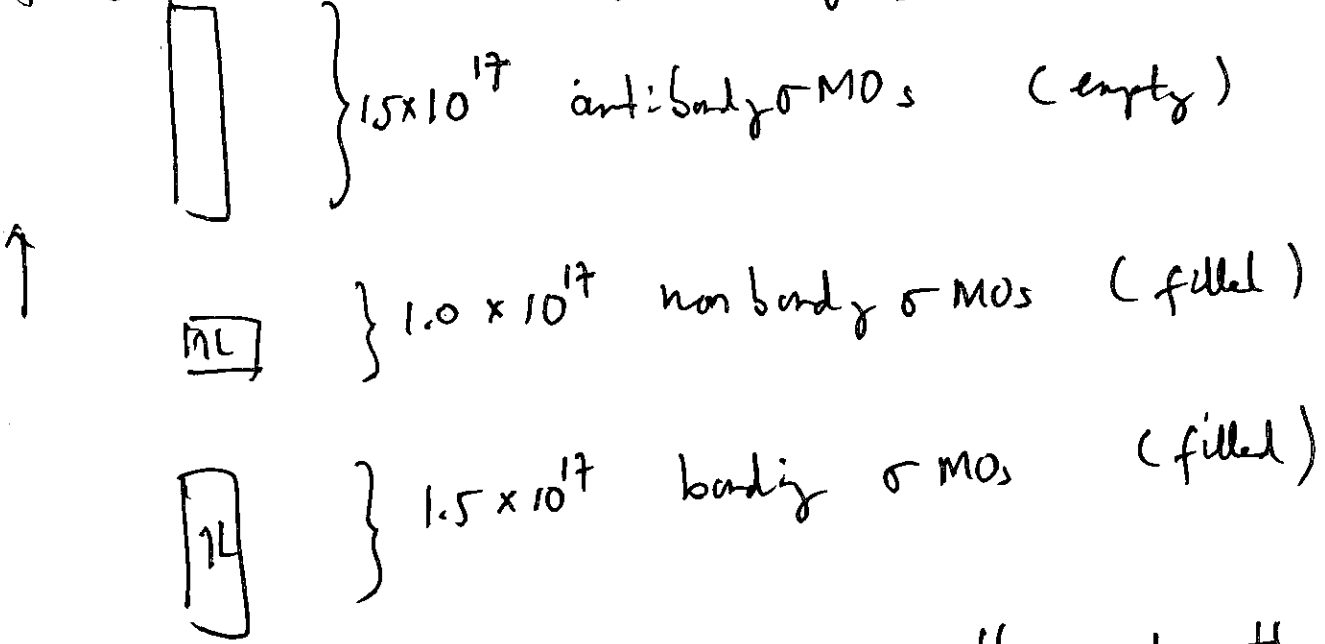
(16) Recap: Localized orbitals are not measurable. BUT they count correctly

(1) #  $\sigma$  bonding,  $\sigma$  antibonding,  $\sigma$  nonbonding orbitals filled

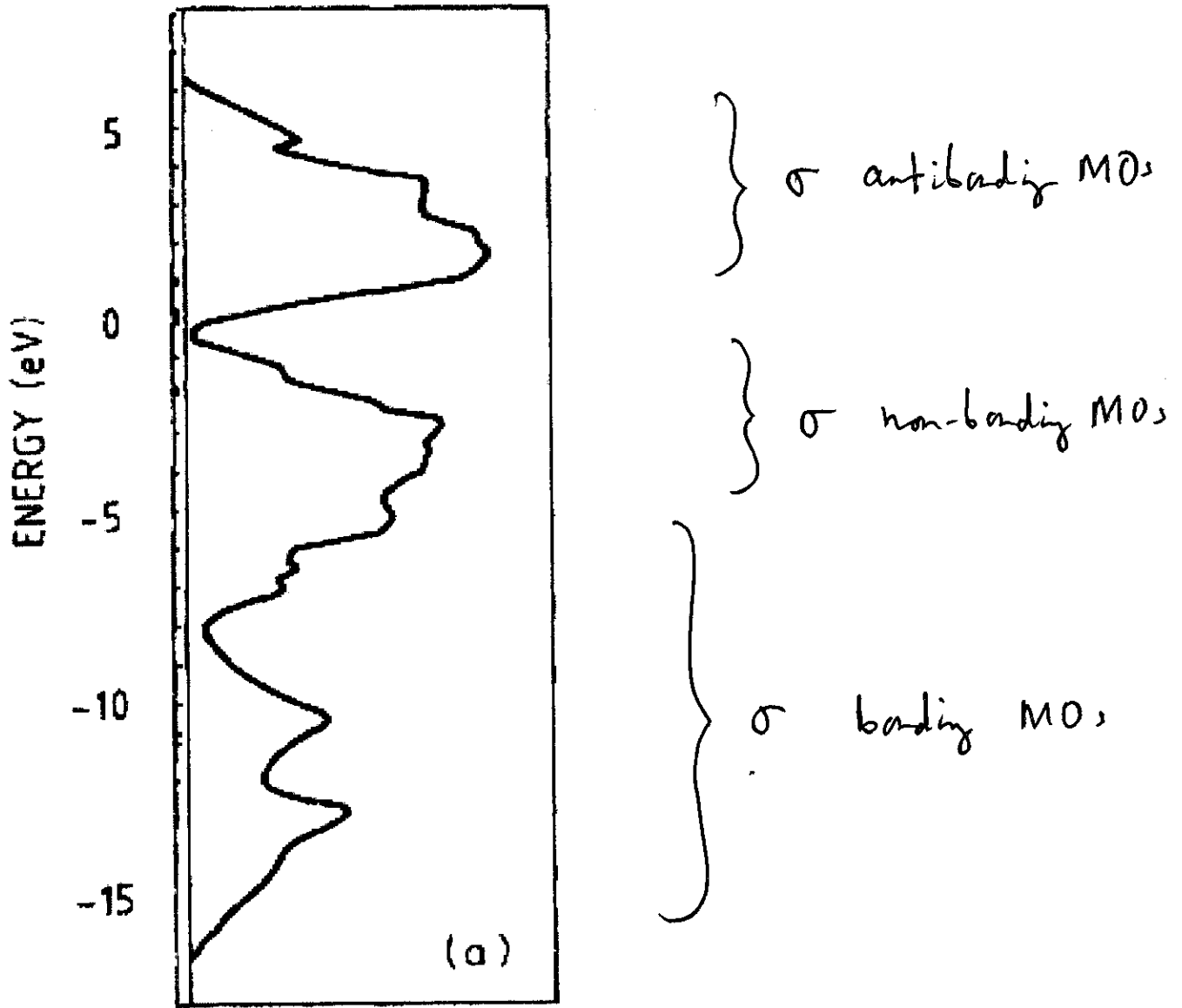
(2) #  $\pi$  filled orbitals.



(17) We may use the facts in (16) to get a picture of the MO banding picture in As solid (assume  $10^{17}$  As atoms) i.e. for systems where we do not know (at least from this class how to calculate the MO diagram).



(18) This picture bears some resemblance to the actual MO diagram for As. [Note as we are dealing with for all practical purposes almost an  $\infty$  number of MOs, we just plot the number found at a certain energy.]

Roberts *Phys. Rev. B* 1983 (28) 4671

Note the localized scheme just gets the # of orbitals correct; it does not give us any sense of the actual spread of energies!